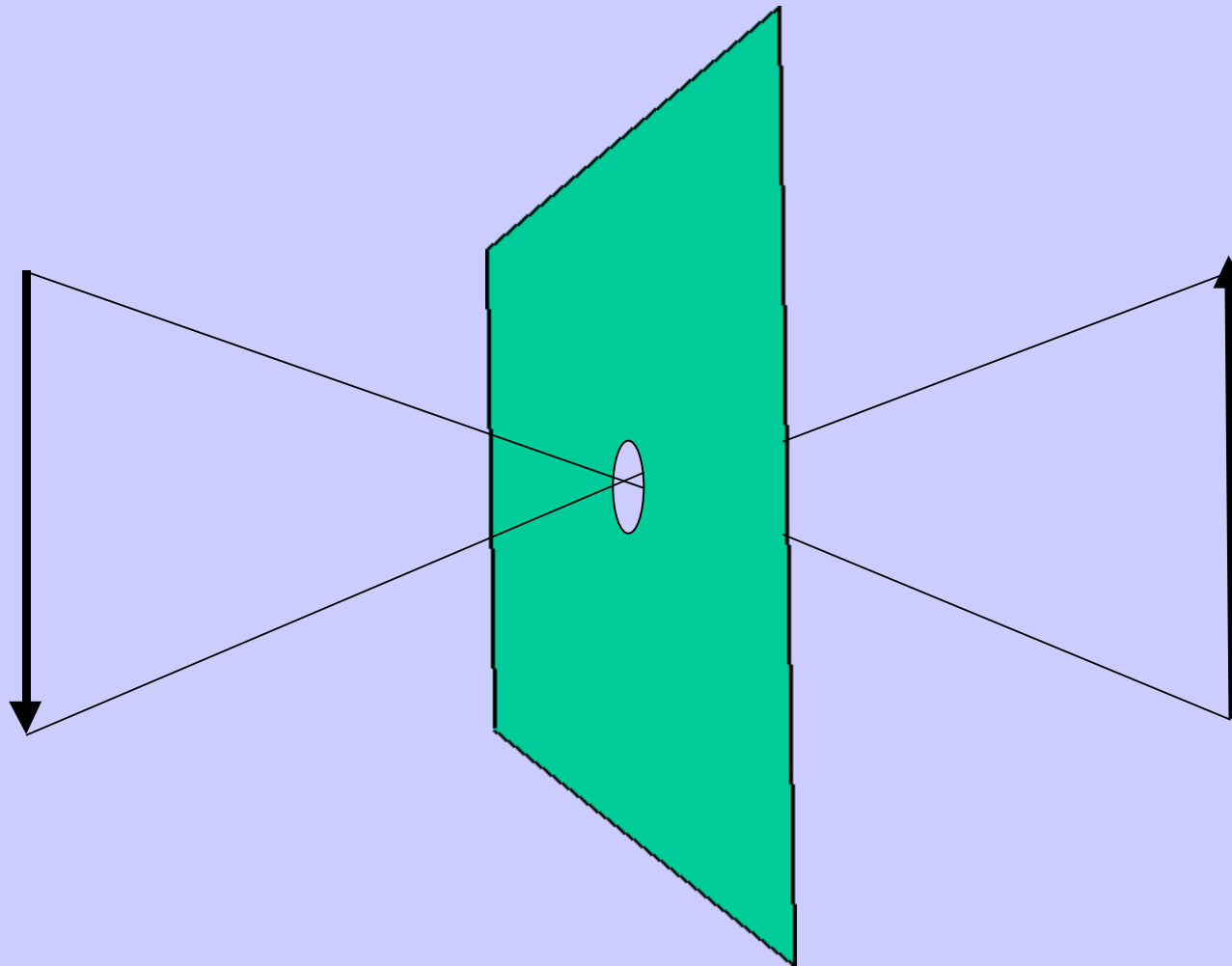


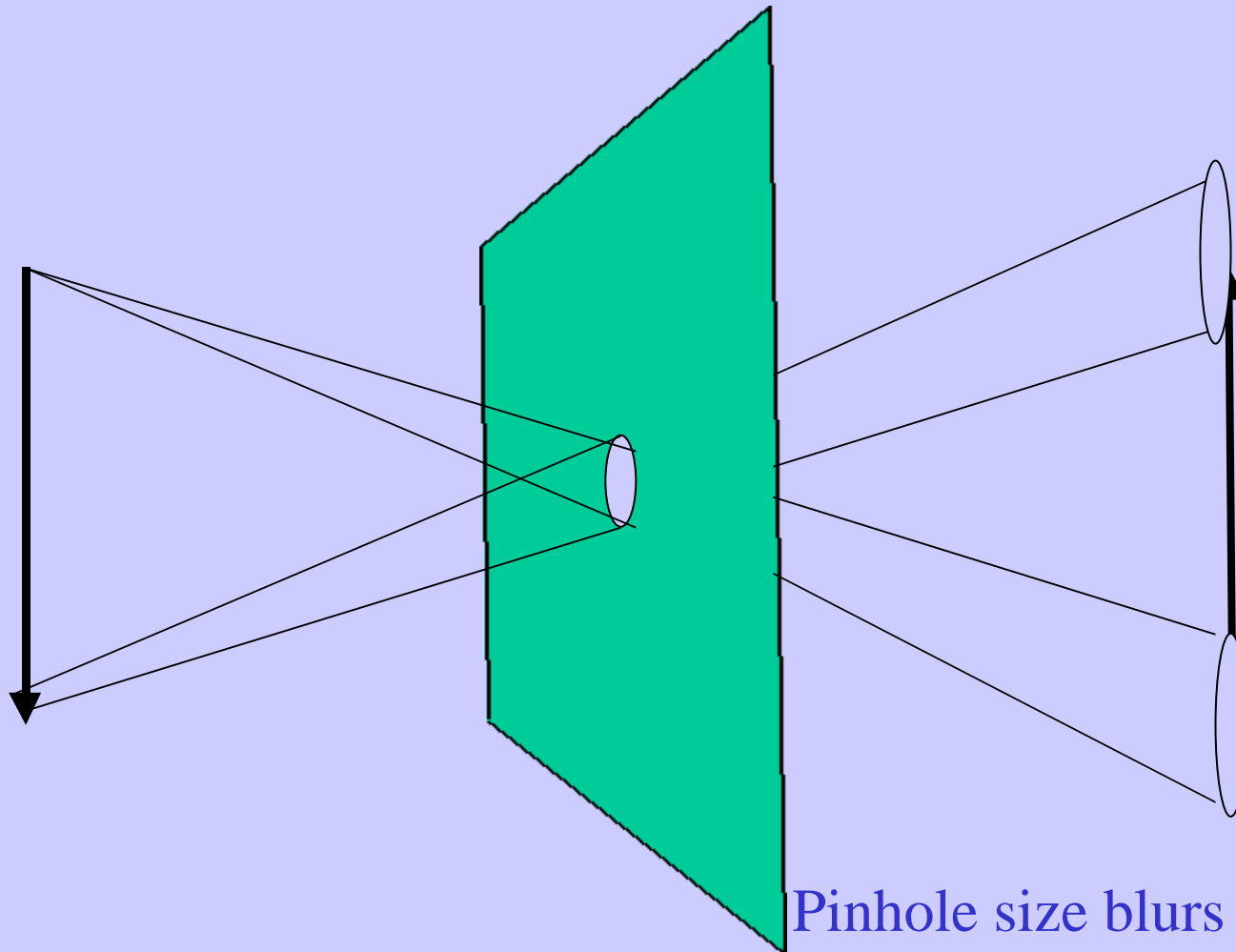
Pinhole camera images



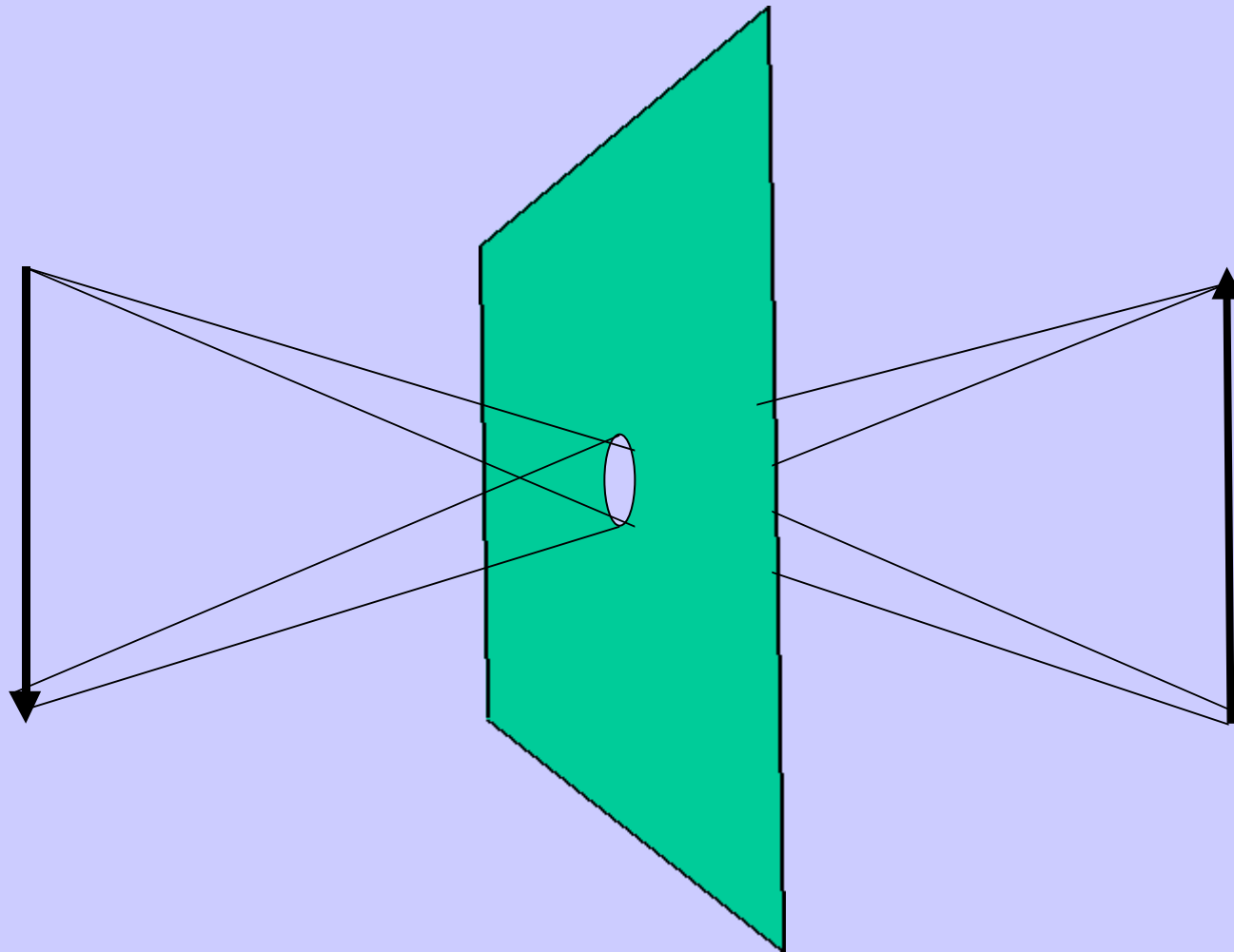
Pinhole camera



Problem with pinhole camera



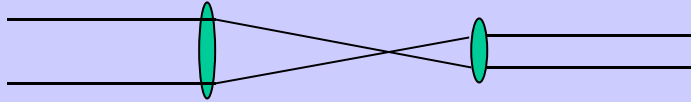
Solution: insert a lens



How a lens works

By slowing light down

REFRACTORS



objective lens
+ eyepiece

largest:

1.0 m Yerkes (1888)

now obsolete

REFLECTORS

mirror systems

or

combinations of mirrors
and lenses

largest:

10.0 m Keck

(Hawaii 1992)

planned: 30m ELT

100m OWL

net result is the same:

an imaging system brings radiation from a distant source (parallel rays of light) to a focal plane where the image may be recorded directly or entered into an analysing instrument (including the eye)

Problems with Refractors

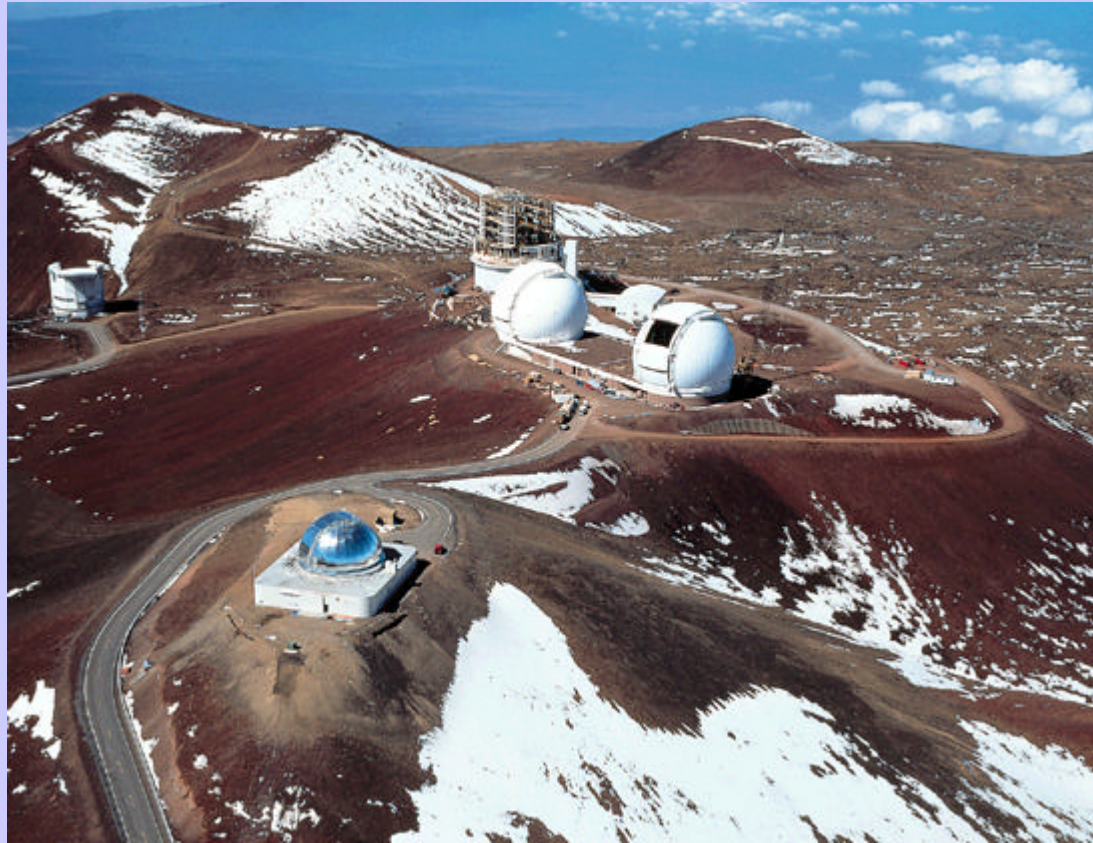
Large lenses hard to make (more expensive).

Lenses must be supported only on their rim.

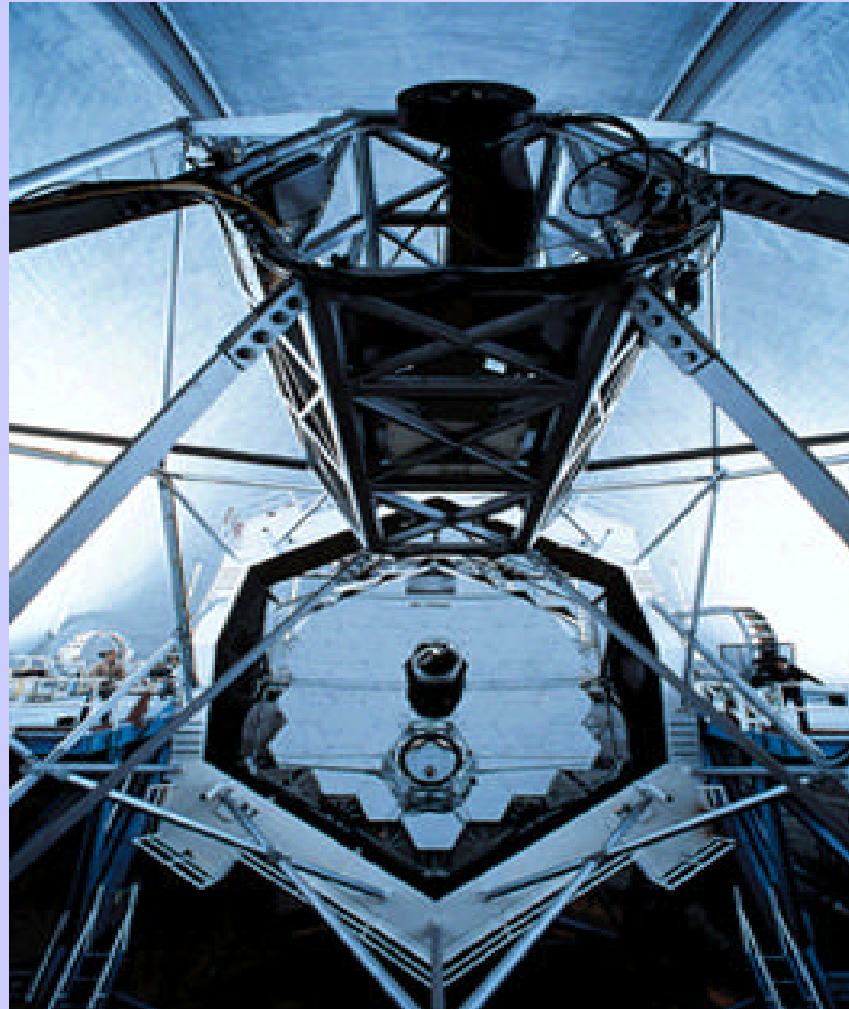
Lens focal length depends on wavelength.

All large telescopes today are reflectors.

Aerial view of the summit of Mauna Kea, Hawaii

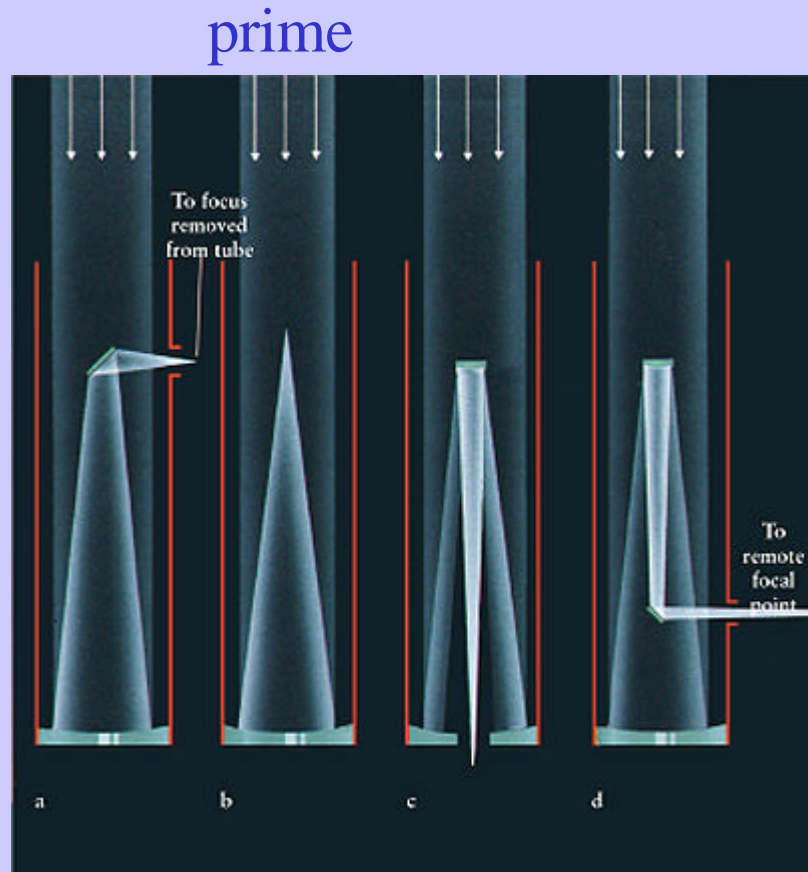


Keck 10-metre optical telescope



Various designs of reflector telescopes

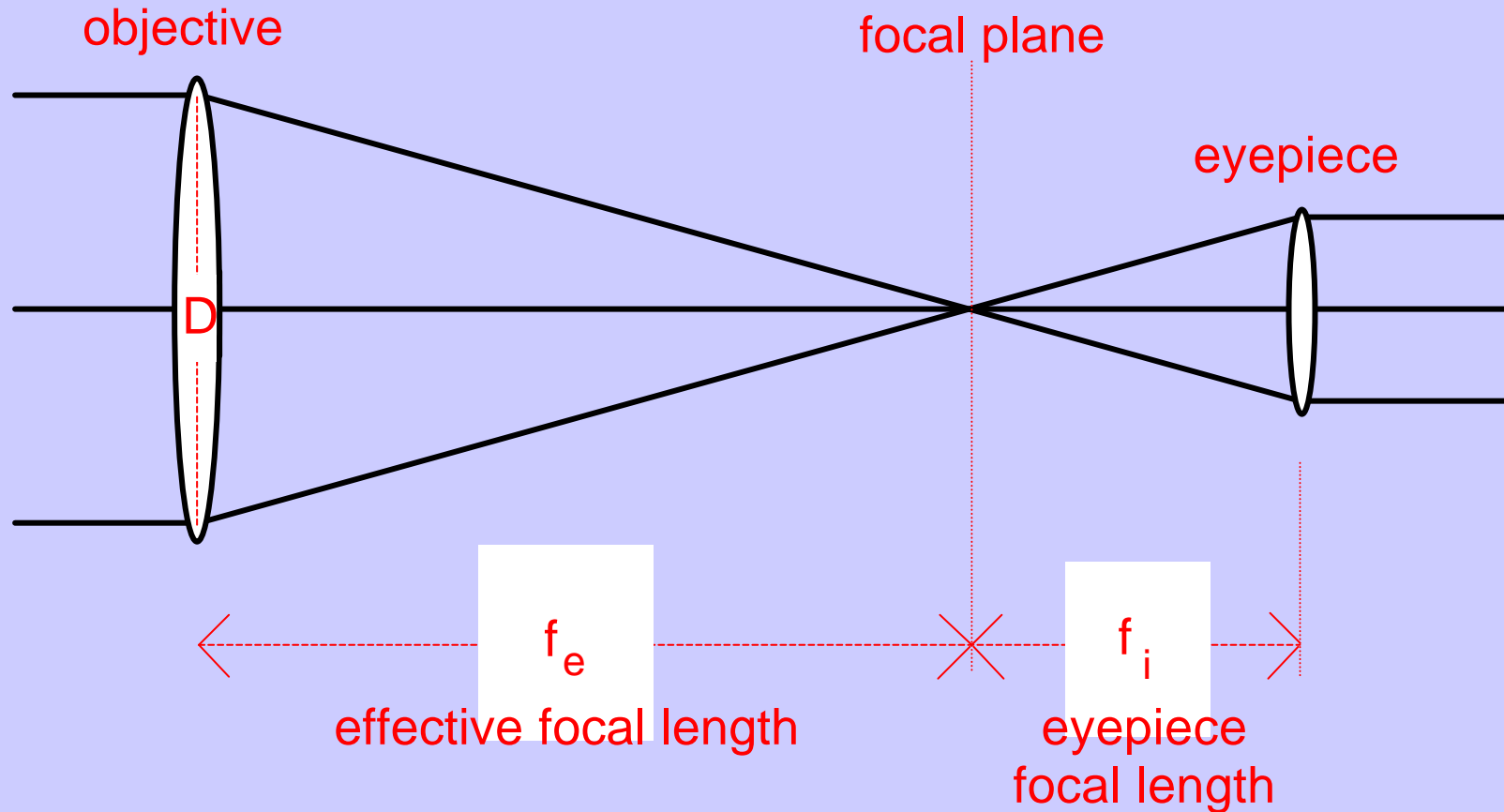
Newtonian



Cassegrain

Neysmith
or Coude

Telescope Optics



telescope aperture = diameter D of objective

- FOCAL RATIO $n = f_e/D$, written as f/n

e.g. $D = 100 \text{ cm}$, $f_e = 300 \text{ cm}$, f ratio is $f/3$

$f_e = 2000 \text{ cm}$, $f/20$

the f/n ratio measures how rapidly the beam
converges to a focus

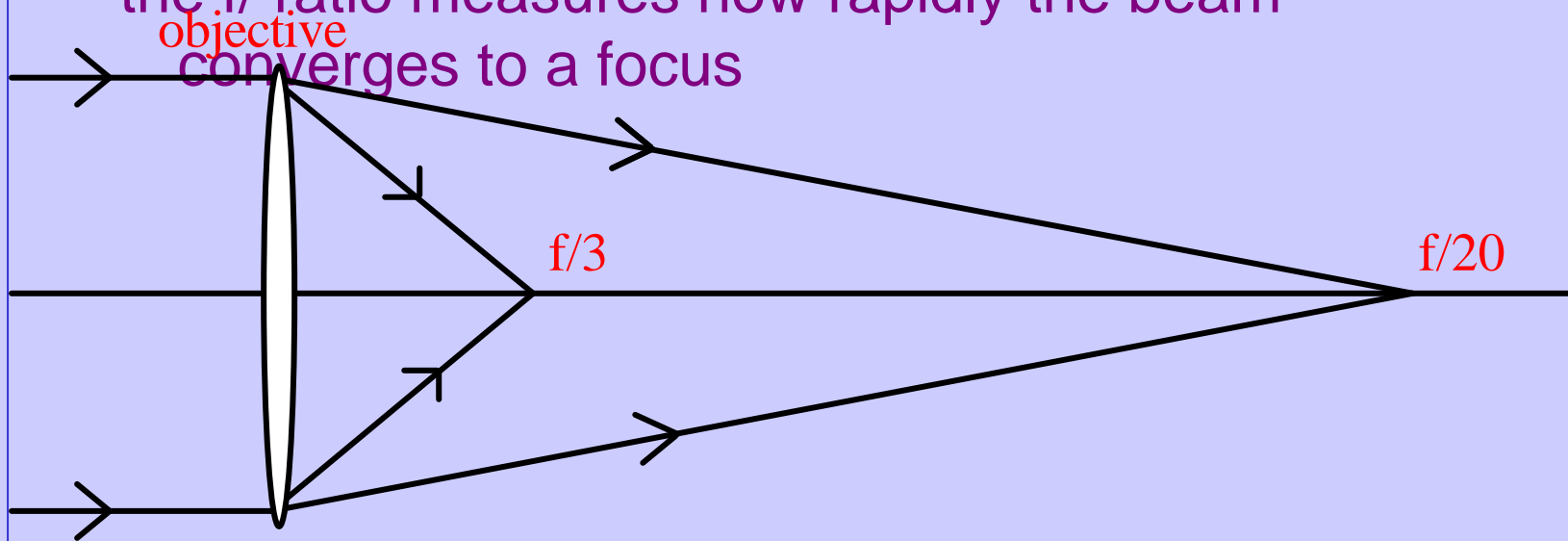


Image of an extended source

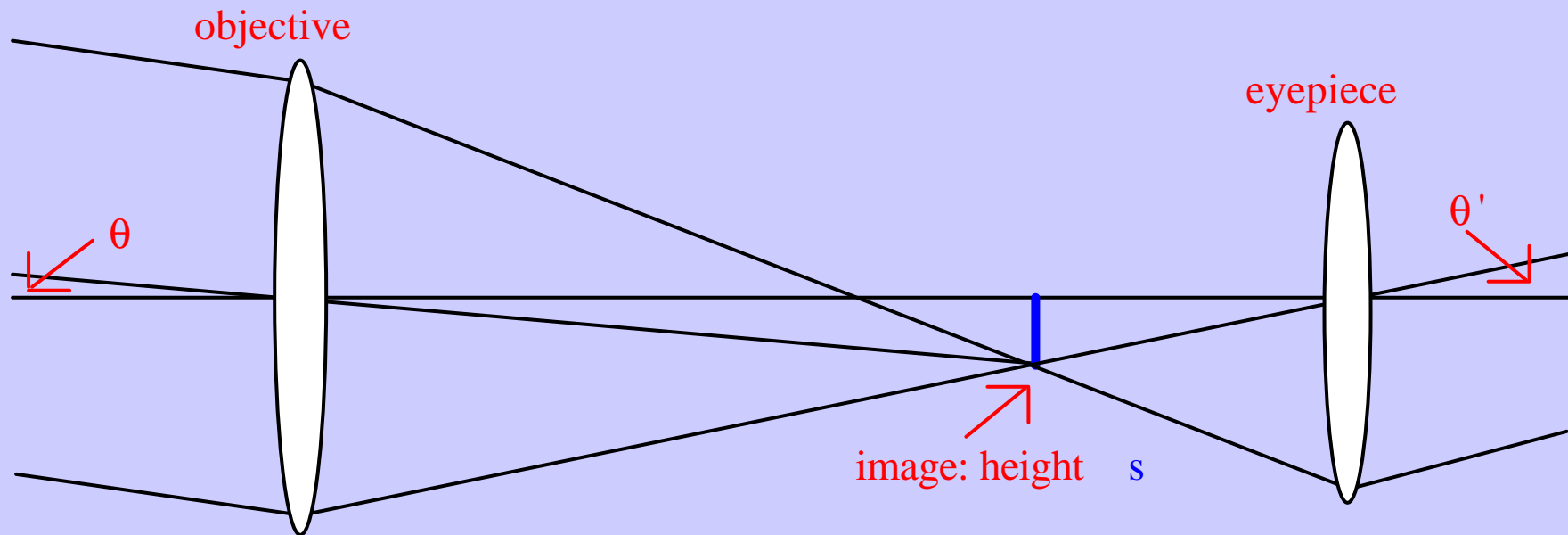
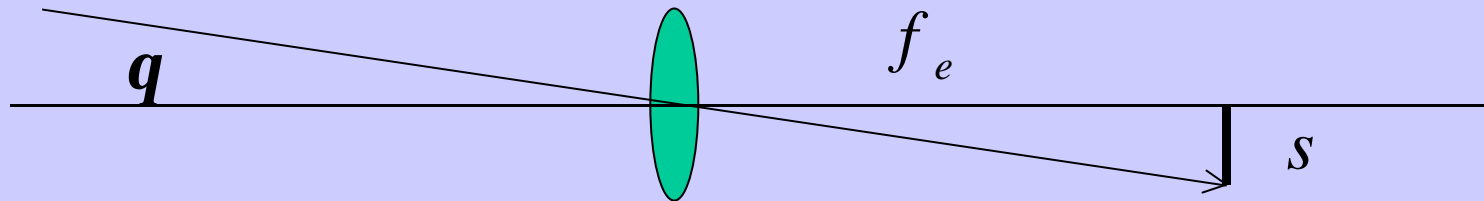


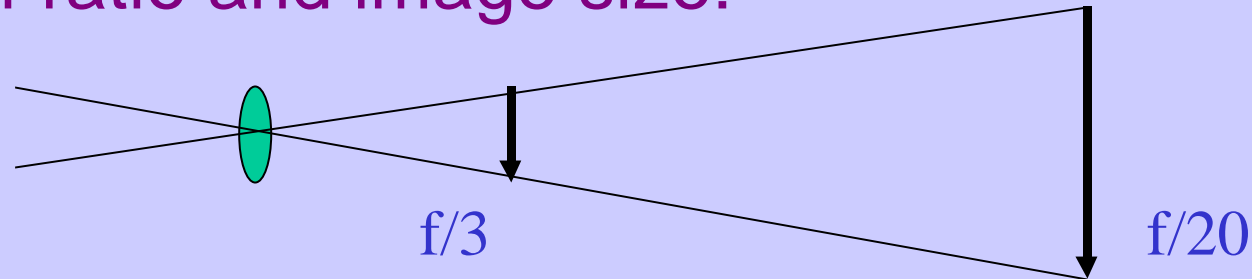
Image size



$$s = f_e \tan \mathbf{q} \cong f_e \mathbf{q}$$

- *example* $f_e = 300 \text{ cm}$
 $\mathbf{q} = 1 \text{ arcmin} \times \frac{1^\circ}{60 \text{ arcmin}} \times \frac{\delta \text{ radian}}{180^\circ}$
 $s = 300 \text{ cm} \times \frac{1^\circ}{60 \text{ arcmin}} \times \frac{\delta \text{ radian}}{180^\circ} = 0.087 \text{ cm}$
- *example 2* $f_e = 3000 \text{ cm}$ $\mathbf{q} = 1 \text{ arcmin}$ $s = 0.87 \text{ cm}$

- **f ratio and image size:**



- small f/ \Rightarrow small images
- large f/ \Rightarrow large images
- Fast / Slow optical systems

FAST (small $f/$) concentrates light into small image.

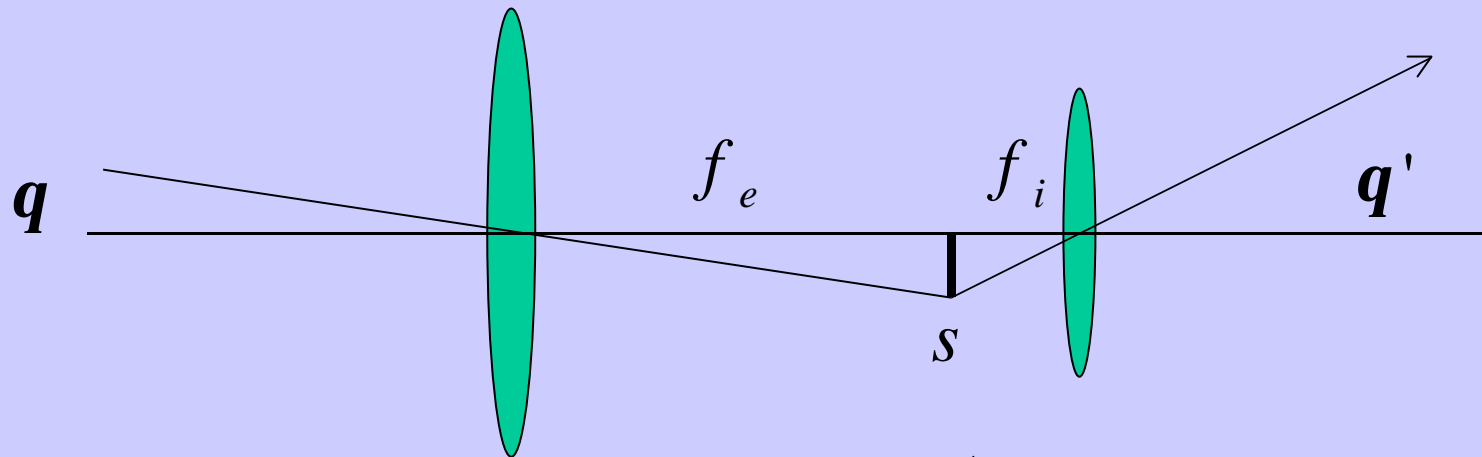
- short exposure times
- wide field of view

SLOW (large $f/$) spreads light over larger image.

- longer exposure times needed
- narrow field of view

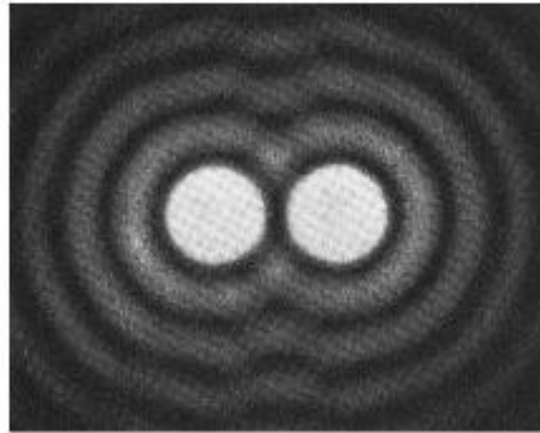
Magnification

- change by changing the eyepiece

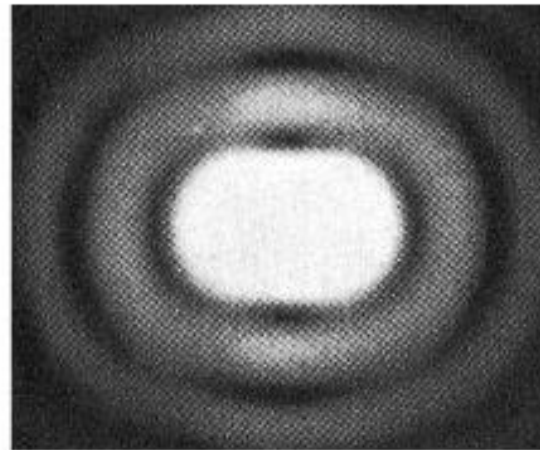


$$\begin{aligned} \text{magnification} &= \frac{q'}{q} \cong \frac{s/f_i}{s/f_e} = \frac{f_e}{f_i} \\ &= \frac{\text{effective focal length}}{\text{eyepiece focal length}} \end{aligned}$$

Resolving a double star



a

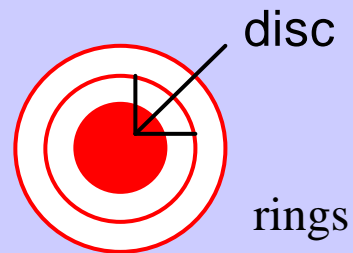


b

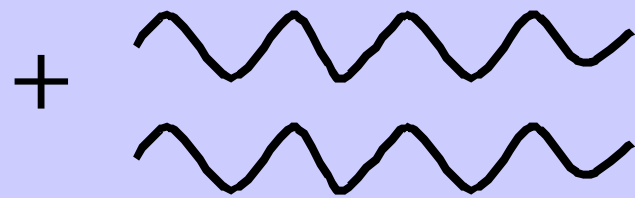
Angular Resolution

- the minimum angular separation of two sources on sky that may be seen as two separate sources in telescope
- seeing limit (e.g. 1 arcsec)
- diffraction limit (e.g. λ/D radians)
(caused by diffraction at edge of telescope aperture)

Airy pattern:

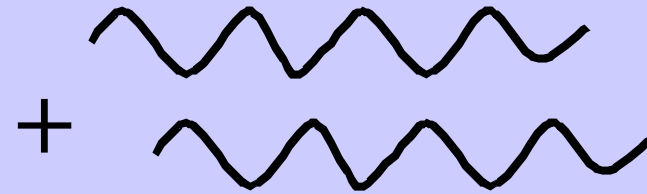


Interference of light waves



constructive

(double amplitude)



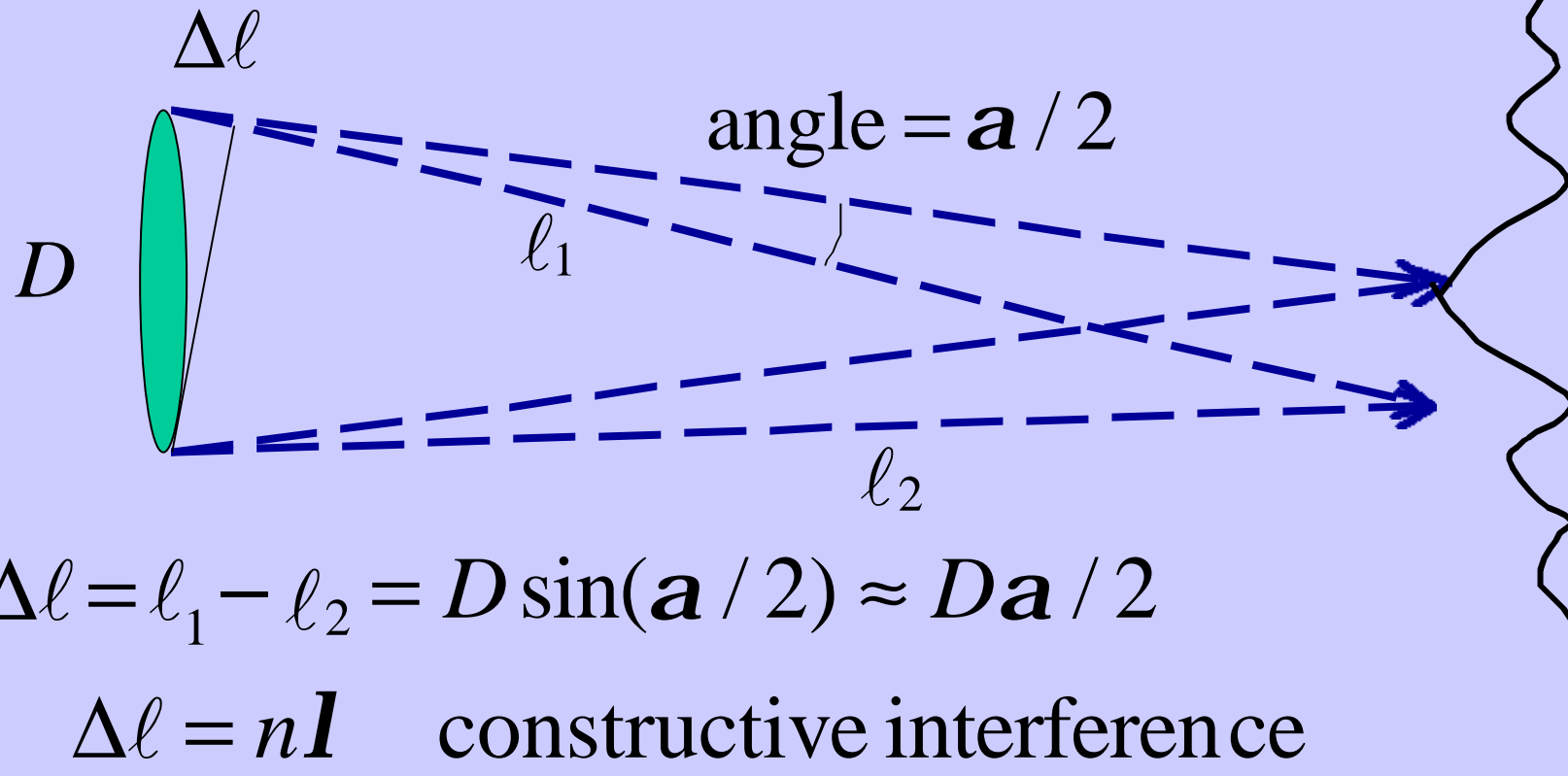
(shift by $\hat{U}/2$)



destructive

(zero amplitude)

Diffraction limit



$$\Delta l = l_1 - l_2 = D \sin(\mathbf{a} / 2) \approx D \mathbf{a} / 2$$

$$\Delta l = n \mathbf{l} \quad \text{constructive interference}$$

$$\Delta l = (n + \frac{1}{2}) \mathbf{l} \quad \text{destructive}$$

$$\mathbf{a} \approx \mathbf{l} / D$$

- "diffraction-limited" image
typically < 0.1 arcsec at optical wavelengths
- Rayleigh's criterion: angular resolution

$$\alpha = 1.22 \frac{\lambda}{D} \text{ radians} \cong 2.5 \times 10^5 \frac{\lambda}{D} \text{ arcsec}$$

Note: D and λ in the same units

D = diameter of aperture (main mirror) of telescope

λ X500 nm (wavelength of optical light)

$\alpha \sim 1$ arcsec for $D \sim 0.125$ m.

X0.03 arcsec for $D \sim 4$ m.

At Radio Wavelengths

$$\lambda_{\text{radio}} = 20 \text{ cm} \sim 400,000 \cdot \lambda_{\text{optical}}$$

- For 1 *arcsec* resolution,
 - need $D \sim 50 \text{ km}$!
 - (not very realistic)
- Solution: INTERFEROMETRY
 - (later)